

**CLASS : XIth** 

**DATE :** 





## Solutions

SUBJECT : MATHS DPP NO. :1

## **Topic :-**MATHEMATICAL REASONING

1	(c)
	The required Venn diagram of given statement is given below
	$\left(\begin{array}{c} S \\ H \end{array}\right)$
2	(a)
	$(p \lor q) \land (p \lor \sim q)$
	$= p \lor (q \land \sim q)$ (distributive law)
	$= p \lor 0$ (complement law)
	= p (0  is identify for v)
4	(c)
	We have
	$p \to q \cong \sim p \lor q$
	and, $\sim q \rightarrow \sim p \cong \sim (\sim q) \lor \sim p \cong q \lor \sim p \cong \sim p \lor q \cong p \rightarrow q$
5	(c)
	We have,
	$p \to q \cong \sim p \lor q$
	$\therefore p \to \sim q \cong \sim p \lor \sim q \cong \sim (p \land q)$
	So, option (a) is not correct
	$\sim p \lor \sim q = \sim (p \land q)$
	So, option (b) is not correct
	$\sim (p \to \sim q) = \sim (\sim p \lor \sim q) = p \land q$
_	So, option (c) is incorrect
6	(D)
8	
	$\sim (p \lor q) \lor (\sim p \land q)$
	$\cong (\sim p \land \sim q) \lor (\sim p \land q)$
•	$\cong \sim p \land (\sim q \lor q) \cong \sim p \lor t \cong \sim p$
9	
	A compound sentence formed by two simple statements $p$ and $q$ using connective for is called
10	
12	(C)
	$\begin{bmatrix} n & a \\ a $
	$\begin{vmatrix} p & q \\ - q & q \\ - q & - $



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	T T F F F
	Hence, it is neither a tautology nor contradiction
13	(d)
	We have,
	$p \rightarrow q \cong p \lor q$
	$\therefore \sim (\sim p \to q) \cong \sim (p \lor q) \cong \sim p \land \sim q$
16	(d)
	$\sim (p \lor q) \equiv \sim p \land \sim q$
	∴ 7 is greater than 4 and Paris is not in France.
17	(c)
	From the truth table of $p \leftrightarrow q$ it is evident that $p \leftrightarrow q$ is true when $p$ and $q$ both are true or both
	are false
	$p \leftrightarrow -q$ is true when p is false and $-q$ is false
	i. e. <i>p</i> is false and <i>q</i> is true
18	(b)
	Let <i>p</i> :Pairs is in France and <i>q</i> : London is in England
	Given, $p \wedge q$
	Its negation is $\sim (p \land q) \equiv \sim p \lor \sim q$
	Hence, paris is not in Franc <mark>e or London is not in England.</mark>
20	(b)
	$(n \rightarrow q) \land (q \rightarrow n) \mod n \Leftrightarrow q$

 $(p \Rightarrow q) \land (q \Rightarrow p)$  means  $p \Leftrightarrow q$ 

			ANSWER-KEY							
Q.	1	2	3	4	5	6	7	8	9	10
<b>A.</b>	С	А	А	С	С	В	С	А	В	В
										5
Q.	11	12	13	14	15	16	17	18	19	20
А.	D	С	D	А	А	D	С	В	А	В