

$$
\frac{(Q/2)}{2C} = \frac{1}{4} \frac{Q}{2C} = \frac{1}{4} U
$$

=

6 **(a)**

Here , $t = 2$ mm, $x = 1.6$ mm, $K = ?$

As potential difference remains the same, capacity must remain the same

$$
\therefore x = t \left(1 - \frac{1}{K} \right)
$$

1.6 = 2 \left(1 - \frac{1}{K} \right), which gives $K = 5$

7 **(c)**

On connecting, potential becomes equal $q \propto c \propto r$ and $\sigma = \frac{q}{\lambda}$ $rac{q}{A} \propto \frac{r}{r^2}$ $\frac{r}{r^2} \rightarrow \frac{1}{r}$ r

∴ Surface charge density on 15 cm sphere will be greater than that on 20 cm sphere.

8 **(a)**

The potential due to charge q at distance r is given by

$$
V = \frac{1}{4\pi\varepsilon_0} \frac{q}{r}
$$

If *W* be the work done in moving the charge from *A* to *B* then the potential difference (*V*) is given by

$$
V_A - V_B = \frac{W}{q}
$$

Both work (W) and charge (q) are scalar quantities hence potential difference $(V_A - V_B)$ will also be a scalar quantity.

Here,

$$
V_A = V_B = \frac{1}{4\pi\varepsilon_0} \frac{Q}{a/\sqrt{2}}
$$

Since, Q is same for both, $V_A - V_B = 0$

 \overline{B}

$$
W = 0
$$

9 **(d)**

The capacity of an isolated spherical conductor of radius R is $4\pi\varepsilon_0 R$
 \therefore $C \propto R$ $C \propto R$

10 **(d)**

Here, we have two capacitors I and II connected in parallel order.

So,

$$
A = C_1 + C_2
$$

$$
= \frac{\epsilon_0 A}{d} + \frac{\epsilon_0 A}{d} = \frac{2\epsilon_0 A}{d}
$$

11 **(c)**

Inside a charged sphere, electric field intensity at all points is zero and electric potential is same at all the points.

Electrical potential,

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\n
$$
V = \frac{1}{4\pi r_0} \frac{q}{n}
$$
\nTherefore, potential at the centre is equal to the potential at the surface.
\n**(b)**
\nHere, $r_1 = 15$ cm, $r_2 = 15$ cm,
\n
$$
V_1 = 150
$$
 V $V_2 = 150$ V,
\n
$$
V_1 = 150
$$
 V $V_2 = 15$ cm,
\n
$$
V_1 = \frac{10}{10}
$$
 V $\frac{10}{10}$ W
\n
$$
V = \frac{6V_1 + C_2 V_2}{C_1 + C_2} = \frac{4\pi r_0 (r_1 V_1 + r_2 V_2)}{4\pi r_0 (r_1 + r_2)}
$$
\n
$$
= 120
$$
 V
\n
$$
q_1 = C_1 V = 4 \pi r_0 r_1 V = \frac{10^{-1}}{9 \times 10^9} \times 1200
$$
\n
$$
= \frac{101}{9 \times 10^9} \times 3 \times 10^9 \text{ esu} = 4 \text{ esu}
$$
\n
$$
V = \frac{\text{total charge}}{\text{total charge}} = \frac{Q + 0}{4\pi r_0 (r + r')}
$$
\n
$$
\therefore \text{ charge on smaller sphere}
$$
\n
$$
= 4r_0 r' \times V = \frac{q r'}{r + r'}
$$
\n
$$
= 4 \frac{1}{4\pi r_0} \cdot \frac{(10^{-3})}{\sqrt{(10^{-3})}}
$$
\n
$$
= \frac{1}{4\pi r_0} \cdot \frac{(10^{-3})}{\sqrt{(\sqrt{2})^2 + (\sqrt{2})^2}}
$$
\n
$$
= \frac{1}{4\pi r_0} \cdot \frac{(10^{-3})}{\sqrt{2}}
$$
\n
$$
= \
$$

When negative charge travels first half of distance, *ie*, $r/4$, potential energy of the system

$$
U_3 = \frac{Q(-q)}{4\pi\epsilon_0(3r/4)} = -\frac{Qr}{4\pi\epsilon_0 r} \times \frac{4}{3}
$$

\n
$$
\therefore \text{ work done} = U_1 - U_3
$$

\n
$$
= \frac{Q(-q)}{4\pi\epsilon_0 r} + \frac{q}{4\pi\epsilon_0 r} \times \frac{4}{3}
$$

\n
$$
= \frac{Qq}{4\pi\epsilon_0 r} \times \frac{1}{3} = \frac{9}{3} = 3J
$$

\n17 (a)
\nBy using $W = Q(\mathbf{E}.\Delta \mathbf{r})$
\n
$$
\Rightarrow W = Q[e_1 \hat{\mathbf{i}} + e_2 \hat{\mathbf{j}} + e_3 \hat{\mathbf{k}}] \cdot (a\hat{\mathbf{i}} + b\hat{\mathbf{j}})]
$$

\n
$$
= Q(e_1 a + e_2 b)
$$

\n19 (d)
\n
$$
E = \sigma/\epsilon_0
$$
, The value of *E* does not depend upon radius of the sphere.
\n20 (b)
\nHere, KE = 100 eV = 100 × 1.6 × 10⁻¹⁹J
\nThis is lost when electron moves through a distance (d) towards the negative plate.
\nKE = work done = $F \times s \Rightarrow qE \times s = e\left(\frac{\sigma}{\epsilon_0}\right) d = \left(\frac{(KE)\epsilon_0}{e\sigma}\right)$
\n
$$
d = \frac{100 \times 1.6 \times 10^{-19} \times 8.86 \times 10^{-12}J}{1.6 \times 10^{-19} \times 2 \times 10^{-6}} = 4.43 \times 10^{-4} m
$$

\n= 0.443 mm

